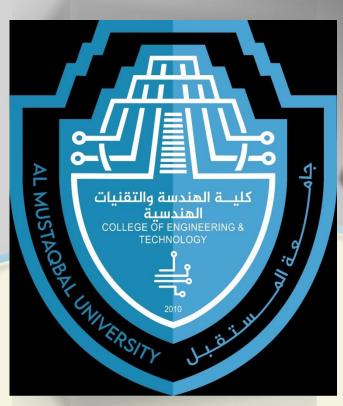
# Computer Network Protocols Network Layer (Part 1) Lesson 2



جامعة المستقبل كلية الهندسة والتقنيات الهندسية قسم هندسة تقنيات الحاسوب المرحلة الرابعة

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# Dynamic Routing Algorithm

We will study two type of dynamic routing algorithm, these are:

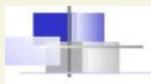
- 1. Distance Vector Routing.
- 2. Link state routing.

# Distance Vector Routing

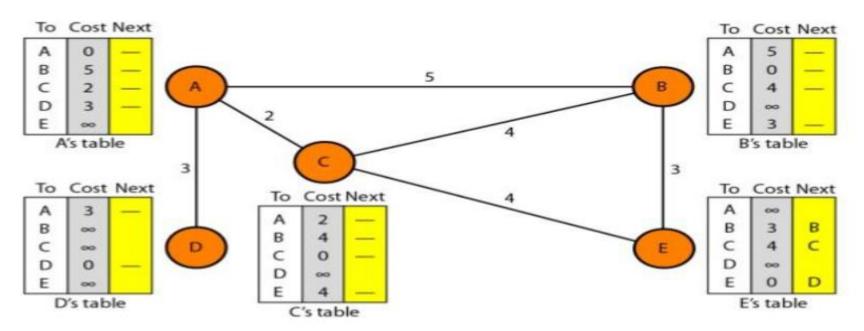
- Distance Vector routing is intra-domain protocols, inside Autonomous system, but not between Autonomous system.
- Distance-vector routing is based on the least-cost goal.
- Distance Vector developed by Bellman-Ford algorithm.
- Bellman equation is used to find the least cost (shortest distance) between a source and destination.
- A distance vector routing algorithm operates by having each router maintain a table (i.e., a vector) giving the best known distance to each destination.
- These tables are updated by exchanging information with the neighbor's router. Every router knows the best link to reach each destination.
- Distance Vector router tells ONLY neighbors about ALL routes
- RIP based on distance vector routing, each router shares, at regular intervals, its knowledge about entire AS with its neighbor.
- It is so slow and does not take Bandwidth into consideration when choose the root.

#### Distance Vector Routing (Initialization)

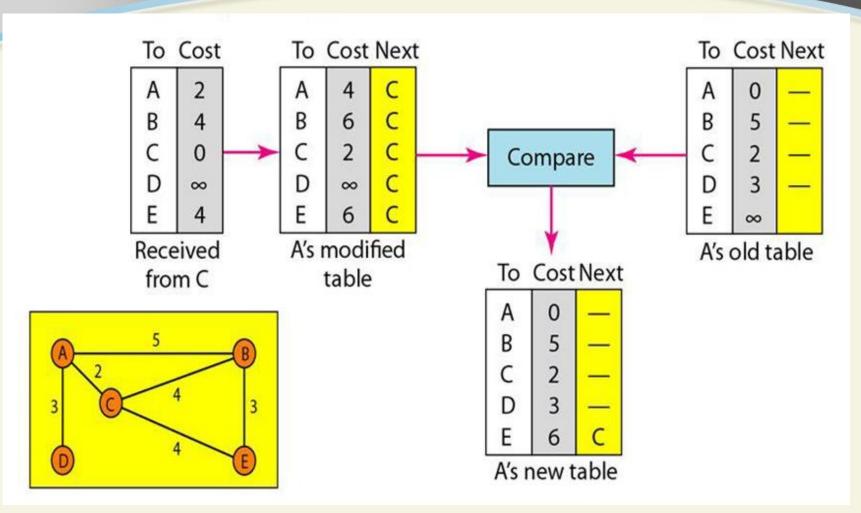
#### Ex/Update Router A using Distance vector algorithm.



Initialization of tables in distance vector routing (DVR)



#### Distance Vector Routing (Updating)



### Distance Vector Routing

#### Distance vector algorithm

Bellman-Ford equation (dynamic programming)

let

 $d_x(y) := cost of least-cost path from x to y$ 

Then

$$d_{x}(y) = \min \{c(x,v) + d_{v}(y)\}$$

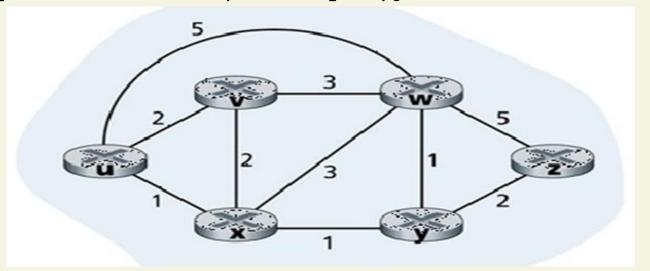
$$cost from neighbor v to destination y$$

$$cost to neighbor v$$

$$min taken over all neighbors v of x$$

#### Distance Vector Routing Example

Consider the following network, using Bellman-Ford equation. Calculate routing graph abstraction cost (shortest path) from U to Z



Distance 
$$u^z = min \{ cost(U,V) + d_v^z, cost(U,X) + d_x^z, cost(U,W) + d_w^z \}$$
  
=  $min \{ 2 + 5, 1 + 3, 5 + 3 \}$   
=  $min \{ 7, 4, 8 \} = 4$ 

## Distance Vector Routing

The primary problem in distance vector that the algorithm often took too **long to converge** after the network topology changed (due to the count-to-infinity problem). Consequently, it was replaced by a new algorithm, now called **link state routing**.

# End Of Lesson 2

# Thanks For Listening