

Example-5

A coil of copper wire has resistance of 90 Ω at 20°C and is connected to a 230V supply. By how much must the voltage be increased in order to maintain the current constant if the temperature of the coil rises to 60°C ? Take the temperature coefficient of resistance of copper as 0.00428 from 0°C.

Solution

As seen from section 1.10

 $\frac{R_2}{R_1} = \frac{1 + \alpha_0 t_2}{1 + \alpha_0 t_1} \qquad \frac{R_{60}}{R_{20}} = \frac{1 + 60 \times 0.00428}{1 + 20 \times 0.00428} \qquad \therefore R_{60} = 90 \times 1.2568/1.0856 = 104.2 \ \Omega$

Now, current at 20°C = 230/90 = 23/9 A

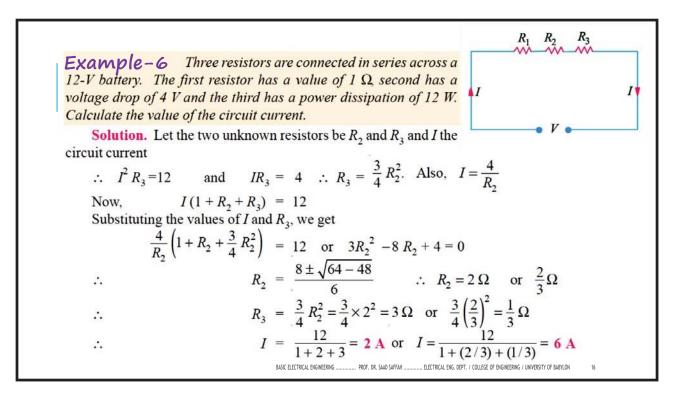
Since the wire resistance has become 104.2 Ω at 60°C, then

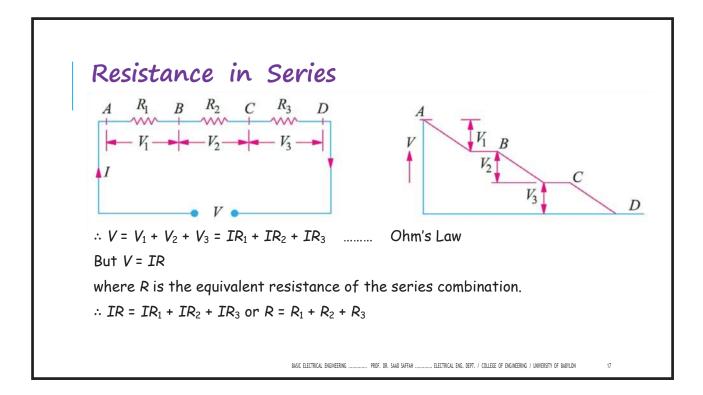
The new voltage required for keeping the current constant at its previous value

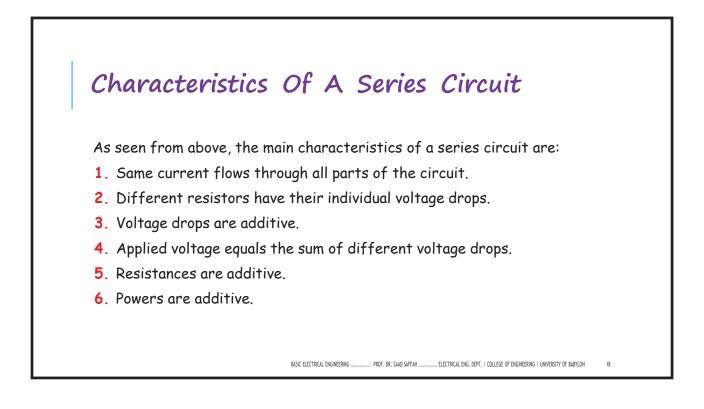
= 104.2 × 23/9 = 266.3 V

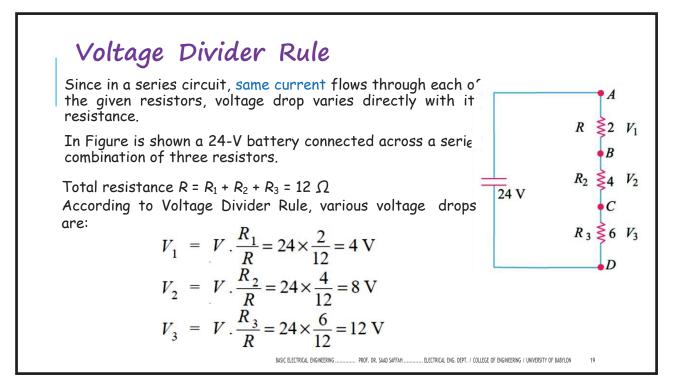
: increase in voltage required = 266.3 - 230 = 36.3 V

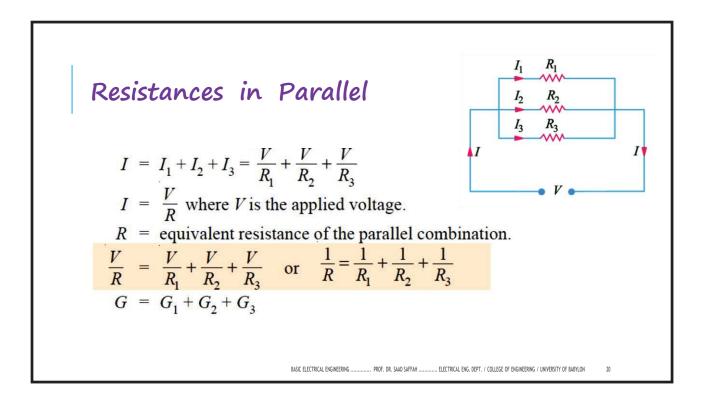
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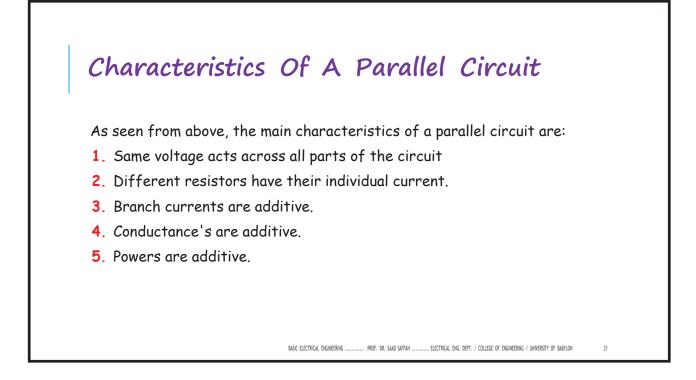


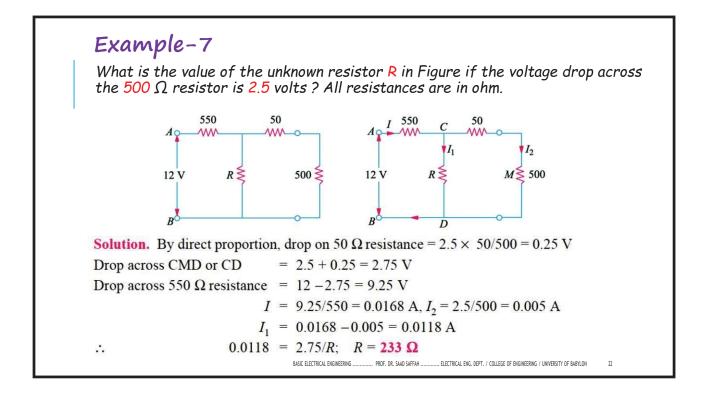






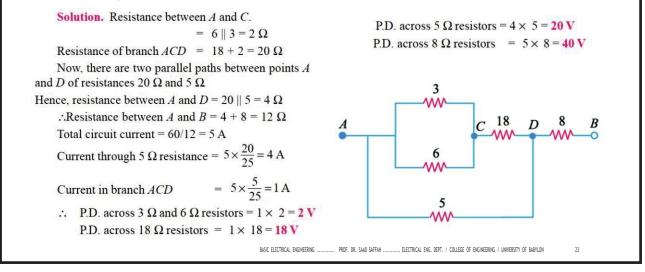






Example-8

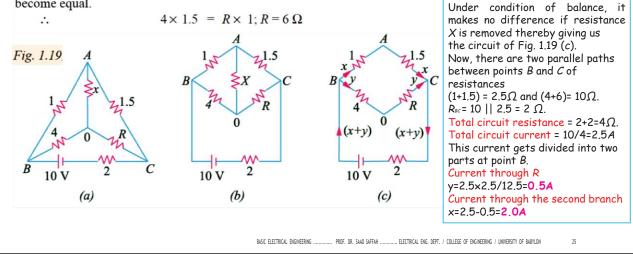
Calculate the effective resistance of the following combination of resistances and the voltage drop across each resistance when a potential difference (P.D.) of 60 V is applied between points A and B.



A circuit consists of four 100-W lamps connected in parallel across a 230-V Example-9 supply. Inadvertently, a voltmeter has been connected 1500 Ω in series with the lamps. The resistance of the voltmeter Voltmeter is 1500 Ω and that of the lamps under the conditions stated is six times their value then burning normally. What will be the reading of the voltmeter? 230 V Solution. The circuit is shown in Fig. 1.18. The wattage of a lamp is given by : Lamp $W = I^2 R = V^2/R$ Load $100 = 230^2/R$: $R = 529 \Omega$ Fig.1.18 ... Resistance of each lamp under stated condition is $= 6 \times 529 = 3174 \Omega$ Equivalent resistance of these four lamps connected in parallel = $3174/4 = 793.5 \Omega$ This resistance is connected in series with the voltmeter of 1500 Ω resistance. : total circuit resistance = $1500 + 793.5 = 2293.5 \Omega$.:. circuit current = 230/2293.5 A According to Ohm's law, voltage drop across the voltmeter = $1500 \times 230/2293.5 = 150 \text{ V}$ (approx)

Example-10 Determine the value of R and current through it in Fig. 1.19, if current through branch AO is zero.

Solution. The given circuit can be redrawn as shown in Fig. 1.19 (*b*). As seen, it is nothing else but Wheatstone bridge circuit. As is well-known, when current through branch *AO* becomes zero, the bridge is said to be balanced. In that case, products of the resistances of opposite arms of the bridge become equal.



Example-11 In the unbalanced bridge circuit of Fig. 1.20 (a), find the potential difference that exists across the open switch S. Also, find the current which will flow through the switch when it is closed.

Solution. With switch open, there are two parallel branches across the 15-V supply. Branch *ABC* has a resistance of $(3 + 12) = 15 \Omega$ and branch *ADC* has a resistance of $(6 + 4) = 10 \Omega$ Obviously, each branch has 15 V applied across it.

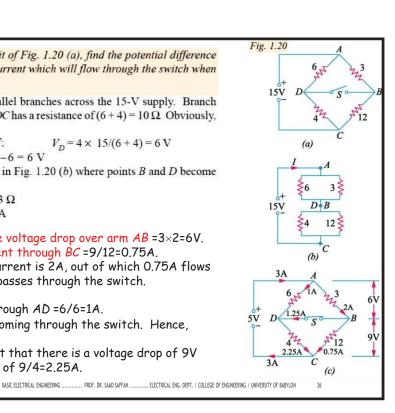
 $V_B = 12 \times 15/(3+12) = 12$ V; $V_D = 4 \times 15/(6+4) = 6$ V ∴ p.d. across points B and $D = V_B - V_D = 12 - 6 = 6$ V

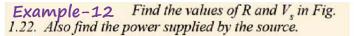
When S is closed, the circuit becomes as shown in Fig. 1.20 (b) where points B and D become electrically connected together.

 $\begin{array}{l} R_{AB} = \ 3 \parallel 6 = 2 \ \Omega & \text{and} & R_{BC} = 4 \parallel 12 = 3 \ \Omega \\ R_{AC} = 2 + 3 = 5 \ \Omega & ; & I = 15/5 = 3 \ A \end{array}$

Current through arm $AB = 3 \times 6/9 = 2A$. The voltage drop over arm $AB = 3 \times 2 = 6V$. Hence, drop over arm BC = 15-6=9V. Current through BC = 9/12 = 0.75A. It is obvious that at point B, the incoming current is 2A, out of which 0.75A flows along BC, whereas remaining 2-0.75 = 1.25A passes through the switch.

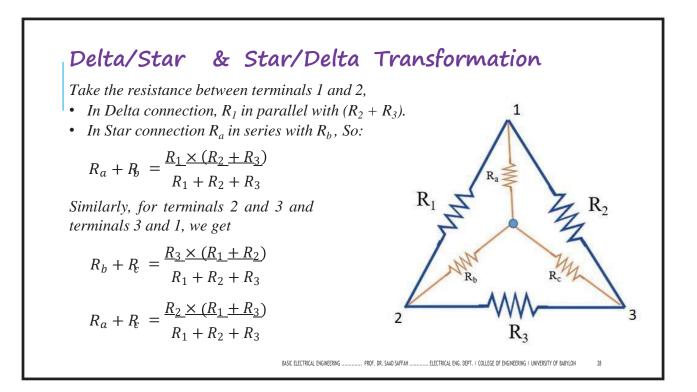
As a check, it may be noted that current through AD = 6/6=1A. At point D, this current is joined by 1.25A coming through the switch. Hence, current through DC=1.25+1=2.25A. This fact can be further verified by the fact that there is a voltage drop of 9V across 4Ω resistor thereby giving a current of 9/4=2.25A.

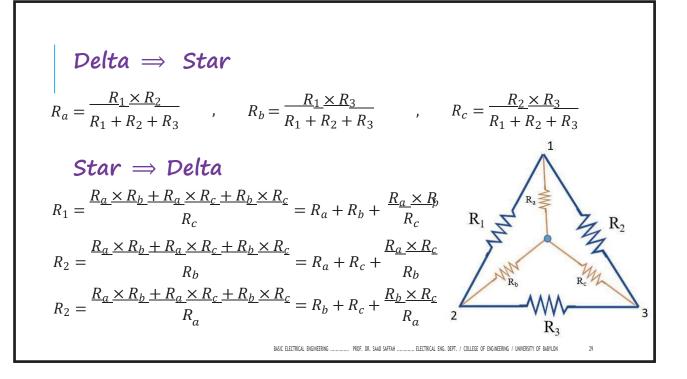


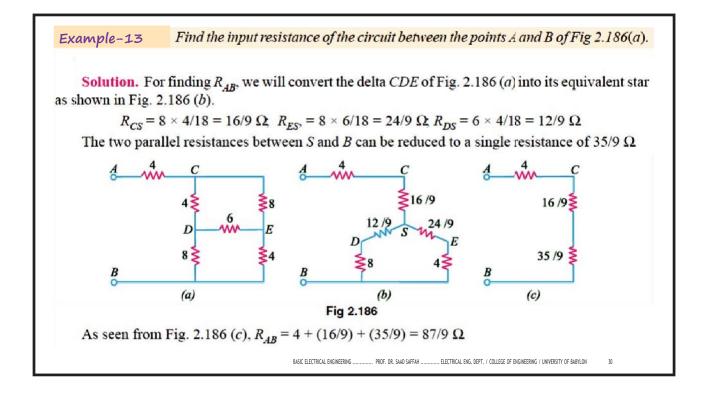


www R Solution. Name the nodes as marked on Fig. 1.22. 2Ω. Treat node A as the reference node, so that $V_A = 0$. Since 3Ω 8Ω path ADC carries 1 A with a total of 4 ohms resistance, $V_{c} = +4$ V. 1 A Since $V_{CA} = +4$ V, $I_{CA} = 4/8 = 0.5$ amp from C to A. D A F 1Ω Applying KCL at node C, $I_{BC} = 1.5$ A from B to C. Vs Along the path BA, 1 A flows through 7-ohm resistor. Fig. 1.22 $V_B = +7$ Volts. $V_{BC} = 7 - 4 = +3$ V. This drives a current of 1.5 amp, through R ohms. Thus R = 3/1.5 = 2 ohms. Applying KCL at node B, $I_{FB} = 2.5$ A from F to B. $V_{FB} = 2 \times 2.5 = 5$ volts, F being higher than B from the view-point of Potential. Since V_B has already been evaluated as + 7 volts, V + 12 volts (w.r. to A). Thus, the source voltage $V_s = 12$ volts. The overall resistance between F and A will be as follows: $R_{CA}=(1+3)||8=2.667 \Omega$, $R_{BA}=(2.667+2)||7=2.8 \Omega$ $R_{FA}=(2.8+2)=4.8 \Omega$

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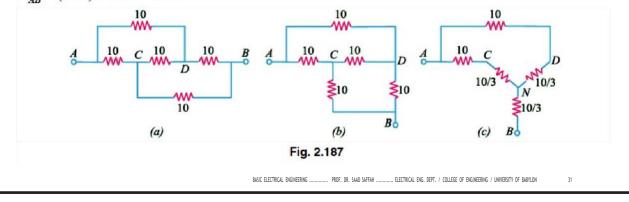


 Example-14
 Calculate the equivalent resistance between the terminals A and B in the network shown in Fig. 2.187 (a).

 (F.Y. Engg. Pune Univ.)

Solution. The given circuit can be redrawn as shown in Fig. 2.187 (b). When the delta BCD is converted to its equivalent star, the circuit becomes as shown in Fig. 2.187 (c).

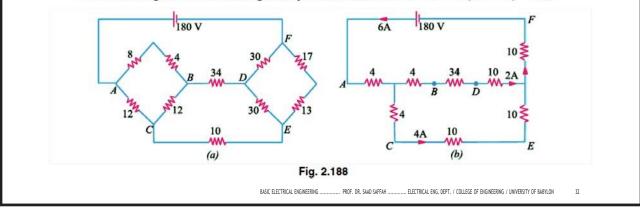
Each arm of the delta has a resistance of 10 Ω Hence, each arm of the equivalent star has a resistance = $10 \times 10/30 = 10/3 \Omega$ As seen, there are two parallel paths between points A and N, each having a resistance of $(10 + 10/3) = 40/3 \Omega$ Their combined resistance is $20/3 \Omega$ Hence, $R_{AB} = (20/3) + 10/3 = 10 \Omega$

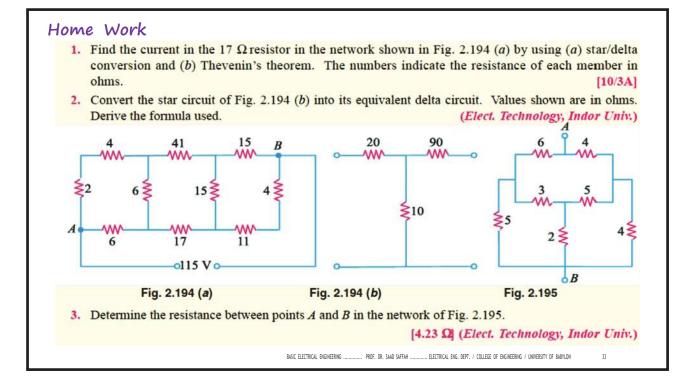


Example-15Calculate the current flowing through the 10 Ω resistor of Fig. 2.188 (a) by
using any method.using any method.(Network Theory, Nagpur Univ. 1993)

Solution. It will be seen that there are two deltas in the circuit *i.e.* ABC and DEF. They have been converted into their equivalent stars as shown in Fig. 2.188 (b). Each arm of the delta ABC has a resistance of 12 Ω and each arm of the equivalent star has a resistance of 4 Ω Similarly, each arm of the delta DEF has a resistance of 30 Ω and the equivalent star has a resistance of 10 Ω per arm.

The total circuit resistance between A and $F = 4 + 48 \parallel 24 + 10 = 30 \Omega$ Hence I = 180/30 = 6 A. Current through 10 Ω resistor as given by current-divider rule = $6 \times 48/(48 + 24) = 4$ A.





Types of Resistors

1- Carbon Composition: It is a combination of carbon particles and a binding resin with different proportions for providing desired resistance.

2- Deposited Carbon: Deposited carbon resistors consist of ceramic rods which have a carbon film deposited on them.

3- High-Voltage Ink Film: These resistors consist of a ceramic base on which a special resistive ink is laid down in a helical band.

4- Metal Film: Metal film resistors are made by depositing vaporized metal in vacuum on a ceramic-core rod.

5- Metal Glaze: A metal glaze resistor consists of a metal glass mixture which is applied as a thick film to a ceramic substrate and then fired to form a film.

6- Wire-wound: Wire-wound resistors are different from all other types in the sense that no film or resistive coating is used in their construction.

7- Cermet (Ceramic Metal): The cermet resistors are made by firing certain metals blended with ceramics on a ceramic substrate.