



قســم الامــــن الــــسيبرانــــي

DEPARTMENT OF CYBER SECURITY

#### SUBJECT:

**SEARCHING AND SORTING ALGORITHMS** 

CLASS:

**SECOND** 

LECTURER:

ASST. PROF. DR. ALI KADHUM AL-QURABY

**LECTURE: (5-2)** 

**POST-ORDER TRAVERSAL** 

**Lecturer Name** 

Asst. Prof. Ali Kadhum Al-Quraby

## **Program to Implement Postorder Traversal of Binary Tree**

Below is the code implementation of the postorder traversal:

```
// C++ program for postorder traversals
#include <bits/stdc++.h>
using namespace std;
// Structure of a Binary Tree Node
struct Node {
    int data;
    struct Node *left, *right;
    Node(int v)
        data = v;
        left = right = nullptr;
    }
};
// Function to print postorder traversal
void printPostorder(struct Node* node)
    if (node == nullptr)
        return;
    // First recur on left subtree
    printPostorder(node->left);
    // Then recur on right subtree
    printPostorder(node->right);
    // Now deal with the node
    cout << node->data << " ";</pre>
}
// Driver code
int main()
{
    struct Node* root = new Node(1);
    root->left = new Node(2);
    root->right = new Node(3);
    root->left->left = new Node(4);
    root->left->right = new Node(5);
```



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```
root->right->right = new Node(6);

// Function call
cout << "Postorder traversal of binary tree is: \n";
printPostorder(root);

return 0;
}</pre>
```

#### Output

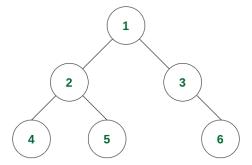
Postorder traversal of binary tree is:
4 5 2 6 3 1

### • Complexity Analysis:

- **❖ Time Complexity:** O(N) where N is the total number of nodes. Because it traverses all the nodes at least once.
- ❖ Auxiliary Space: O(1) if no recursion stack space is considered. Otherwise, O(h) where h is the height of the tree
  - In the worst case, h can be the same as N (when the tree is a skewed tree)
  - In the best case, h can be the same as logN (when the tree is a complete tree)

### **How does Postorder Traversal of Binary Tree Work?**

Consider the following tree:

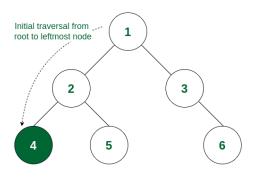




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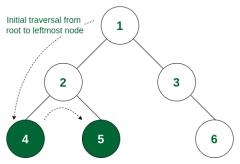
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✓ **Step 1:** The traversal will go from 1 to its left subtree i.e., 2, then from 2 to its left subtree root, i.e., 4. Now 4 has no subtree, so it will be visited.



The leftmost leaf node (i.e., 4) is visited first

✓ **Step 2:** As the left subtree of 2 is visited completely, now it will traverse the right subtree of 2 i.e., it will move to 5. As there is no subtree of 5, it will be visited.



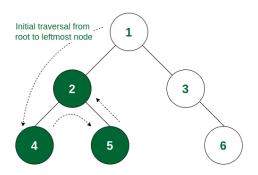
Left subtree of 2 is traversed. So 5 is visited next

✓ **Step 3:** Now both the left and right subtrees of node 2 are visited. So now visit node 2 itself.



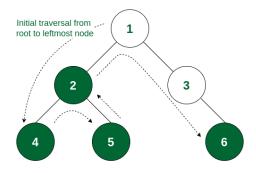
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All subtrees of 2 are visited. So 2 is visited next

✓ **Step 4:** As the left subtree of node 1 is traversed, it will now move to the right subtree root, i.e., 3. Node 3 does not have any left subtree, so it will traverse the right subtree i.e., 6. Node 6 has no subtree and so it is visited.

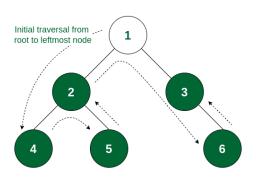


6 has no subtrees. So it is visited

✓ **Step 5:** All the subtrees of node 3 are traversed. So now node 3 is visited.

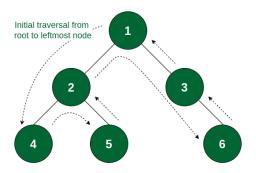
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3 is visited after all its subtrees are traversed

✓ **Step 6:** As all the subtrees of node 1 are traversed, now it is time for node 1 to be visited and the traversal ends after that as the whole tree is traversed.



The root of the tree (i.e., 1) is visited

✓ So the order of traversal of nodes is  $4 \rightarrow 5 \rightarrow 2 \rightarrow 6 \rightarrow 3 \rightarrow 1$ .