



**Almustaqbal University**  
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**Class :- 4<sup>th</sup>**



**Lectuer 1**

**Self Information**

**By**

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## Experiment No. 1 “Self Information”

The experiment discusses the concept known as “**Self Information**”, which is a mathematical measure that expresses the **amount of information or surprise** obtained when a particular **event occurs**.

$$I(x_i) = -\log(P_{xi})$$

where:-

- $I(x_i)$  : represents the self-information of the event  $x_i$ .
- $P_{xi}$  : is the probability of that event.
- The **negative sign** ensures that the result is always **positive** since  $\log(P_{xi})$  is **negative** for probabilities **less than 1**.

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### Procedure:

- Input the following non-equiprobability vector.  $\mathbf{P}=[0.04, 0.01, 0.10, 0.15, 0.05, 0.07, 0.08, 0.11, 0.09, 0.27, 0.03]$
- Arrange the probability vector upward by using the **code Sort**. “  $\mathbf{px} = \text{sort}(\mathbf{px});$  “
- Create an empty vector: Initialize an empty vector  $\mathbf{m}$  to store the calculated self-information values. “  $\mathbf{m} = [ ];$  “
- Find the length of the probability vector:Determine how many probability values are in the vector.  $\mathbf{n} = \text{length}(\mathbf{px});$
- Calculate the self-information for each event using a loop:  $\mathbf{I(x_i)} = -\log(\mathbf{P_{xi}})$ 

```
for i = 1:n
    Ix = -log(px(i));
    m(i) = Ix;
end
```
- Display the result:Print the calculated self-information values. “  $\mathbf{m}$  “
- Plot the relationship between probability and self-information:

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- Plot the relationship between probability and self-information:

```
plot(px, m);  
xlabel('P');  
ylabel('I(x)');  
title('Relationship between Probability and  
Self-Information');  
grid on;
```

MATLAB  
code

```
clc;  
clear all;  
px=[0.04 0.01 0.1 0.15 0.05 0.07 0.08 0.11 0.09 0.27 0.03];  
px=sort(px);  
m=[];  
n=length(px);  
for i = 1:n  
    Ix = -log(px(i));  
    m(i) = Ix;  
end  
m  
plot(px, m)  
xlabel('Probability');  
ylabel('Self information');  
grid on
```

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### Result

$m = 4.6052 \quad 3.5066 \quad 3.2189 \quad 2.9957 \quad 2.6593 \quad 2.5257 \quad 2.4079 \quad 2.3026 \quad 2.2073 \quad 1.8971 \quad 1.3093$

