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Engineering And Technical Engineering
Computer Techniques Engineering Department
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Class :- 4th



Lectuer 4
Entropy of a Binary Source

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Experiment No. 1 “Entropy of a Binary Source”

A **binary source** is a source that produces **only two symbols**, usually:- (0 , 1)

Each symbol has a probability:

- Probability of **0 = P**
- Probability of **1 = 1 – P**

Entropy is a measure of the **amount of information** produced by the source when it generates a single symbol.

It reflects the **degree of uncertainty** or **randomness** in the output of the source.

The entropy of a binary source is given by the formula:- $H(p) = -p \log_2(p) - (1 - p) \log_2(1 - p)$

Summary

- A binary source outputs only **0 and 1**.
- Entropy measures the expected information per symbol.
- Maximum entropy occurs at $p = 0.5$.
- Minimum entropy occurs at $p = 0$ or $p = 1$.



Experiment No. 1 “Entropy of a Binary Source”

Objective :-

The objective of this experiment is to calculate and analyze the entropy of a binary source and understand how the probability of each symbol affects the amount of information produced.

❖ Specifically, the experiment aims to:

- Determine the entropy of a binary source using the formula:

$$H(p) = -p \log_2(p) - (1 - p) \log_2(1 - p)$$

- Observe how entropy varies with different values of
- Identify the condition at which entropy reaches its maximum and minimum values.



Experiment No. 1 “Entropy of a Binary Source”

Procedure:-

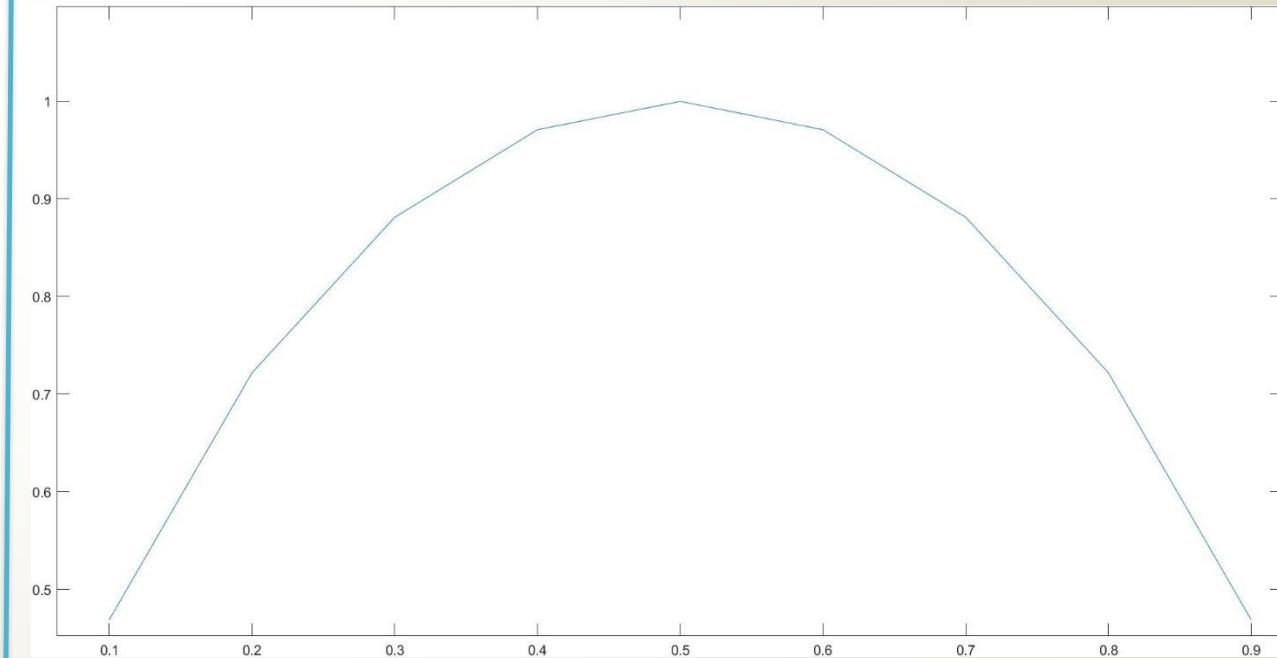
- ❖ Define the probability range of the binary events (0 and 1).
 - Create a probability vector for symbol “1” or “0” from 0 to 1 with step 0.1 :-
 $p = 0:0.1:1;$
 $p1 = 1 - p;$
- ❖ Initialize a null matrix (empty vector) to store the entropy values.
 - $m = [];$
- ❖ Calculate the entropy for each probability value using a loop.
 - compute the binary entropy For each value of $p(i)$:-
$$hx = -(p(i) * \log2 (p(i)) + p1(i) * \log2 (p1(i)));$$
- ❖ Display the overall entropy result vector.
 - Print all entropy values corresponding to each probability :-

Experiment No. 1 “Entropy of a Binary Source”

MATLAB
code

```
p=0:0.1:1;  
p1=1-p;  
m=[];  
for i=1:11  
hx=-(p(i)*log2(p(i))+p1(i)*log2(p1(i)));  
m(i)=hx  
end  
m  
plot(p,m)
```

Result



Experiment No. 1 “Entropy of a Binary Source”

Result

$m = \text{NaN}$

$m = \text{NaN}$ 0.4690

$m = \text{NaN}$ 0.4690 0.7219

$m = \text{NaN}$ 0.4690 0.7219 0.8813

$m = \text{NaN}$ 0.4690 0.7219 0.8813 0.9710

$m = \text{NaN}$ 0.4690 0.7219 0.8813 0.9710 1.0000

$m = \text{NaN}$ 0.4690 0.7219 0.8813 0.9710 1.0000 0.9710

$m = \text{NaN}$ 0.4690 0.7219 0.8813 0.9710 1.0000 0.9710 0.8813

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$m = \text{NaN}$ 0.4690 0.7219 0.8813 0.9710 1.0000 0.9710 0.8813 0.7219 0.4690 NaN

$m = \text{NaN}$ 0.4690 0.7219 0.8813 0.9710 1.0000 0.9710 0.8813 0.7219 0.4690 NaN