

محاضرة رقم 2 الميكانيك الهندسي

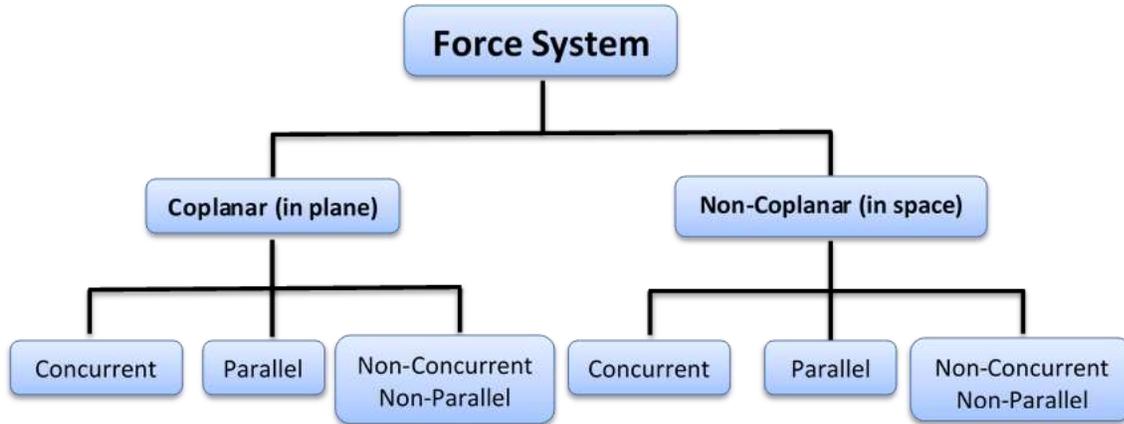
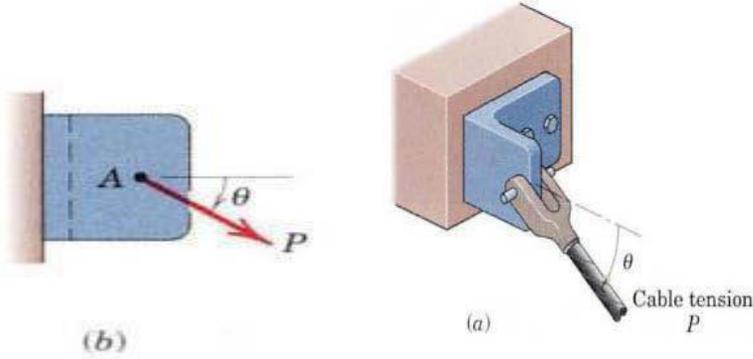
Force Systems

Before dealing with a group or *system* of forces, it is necessary to examine the properties of a single force in some detail. The action of the cable tension on the bracket in Fig. 1a is represented in the side view, Fig. 1b, by the force vector P of magnitude P . The effect of this action on the bracket depends on P , the angle θ , and the location of the point of application A

توضيح

أنظمة القوى

قبل الخوض في دراسة مجموعة أو نظام من القوى، من الضروري فحص خصائص قوة واحدة بتفصيلٍ ما. يُمثّل تأثير شدّ الكابل على الدعامة في الشكل 1 أ في المنظر الجانبي، الشكل 1 ب، بواسطة متجه القوة P ، وموقع نقطة التأثير θ ، والزاوية P ويعتمد تأثير هذا الفعل على الدعامة على P ذي المقدار P .

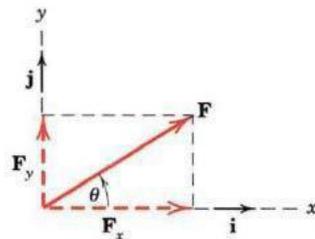


Coplanar= متحد المستوى

Concurrent= متزامن

TWO-DIMENSIONAL FORCE SYSTEMS RECTANGULAR COMPONENTS

The most common two-dimensional resolution of a force vector is into rectangular components. It follows from the parallelogram rule that the vector F of Fig. may be written as

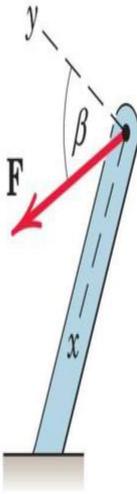


The scalar components can be positive or negative, depending on the quadrant into which F points.

$$F_x = F \cos \theta \quad F = \sqrt{F_x^2 + F_y^2}$$

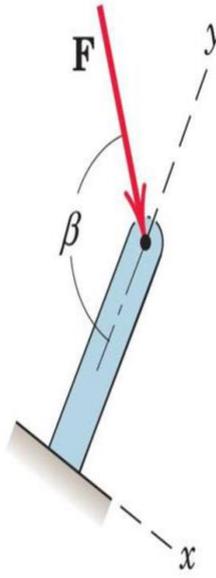
$$F_y = F \sin \theta \quad \theta = \tan^{-1} \frac{F_y}{F_x}$$

Determining the Components of a Force Dimensions are not always given in horizontal and vertical directions, angles need not be measured counterclockwise from the x-axis, and the origin of coordinates need not be on the line of action of a force



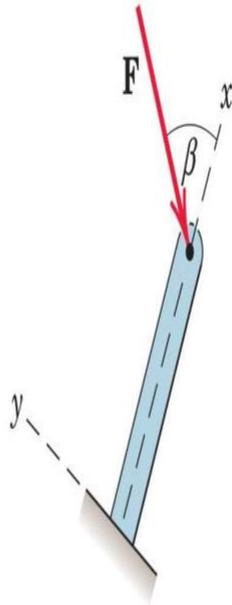
$$F_x = F \sin \beta$$

$$F_y = F \cos \beta$$



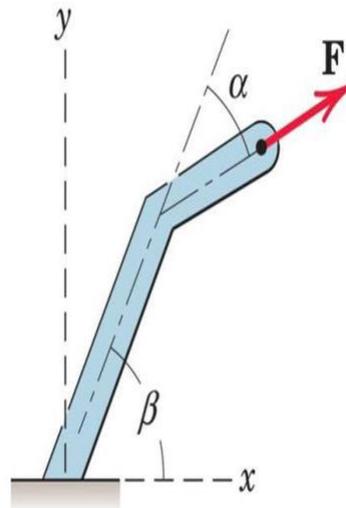
$$F_x = F \sin(\pi - \beta)$$

$$F_y = -F \cos(\pi - \beta)$$



$$F_x = -F \cos \beta$$

$$F_y = -F \sin \beta$$

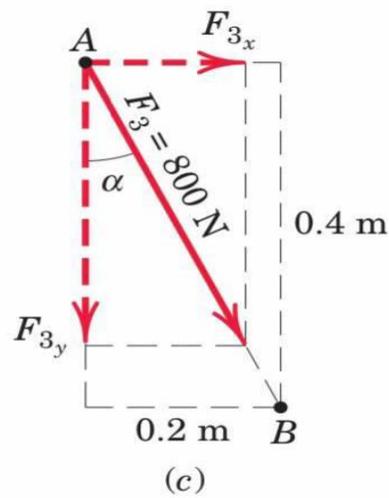
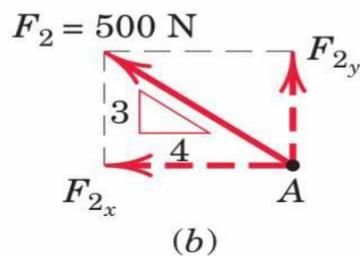
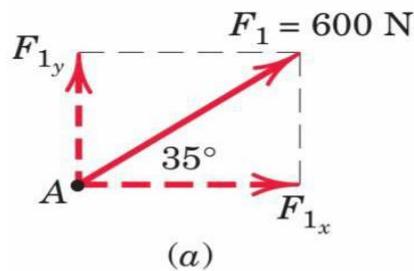
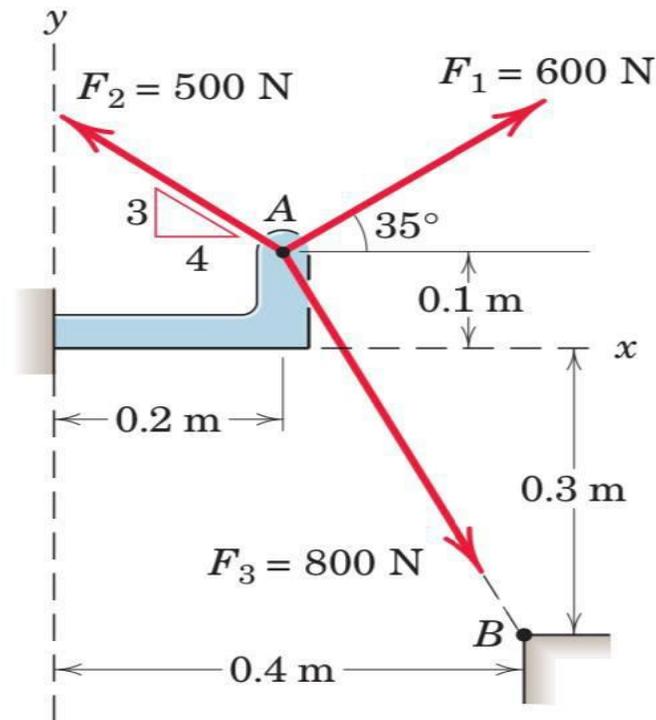


$$F_x = F \cos(\beta - \alpha)$$

$$F_y = F \sin(\beta - \alpha)$$

Problem 1

The forces F_1 , F_2 , and F_3 all of which act on point A of the bracket, are specified in three different ways. Determine the x and y scalar components of each of the three forces.



Solution:

The scalar components of F_1 from Fig. a, are

$$F_{1x} = 600 \cos 35^\circ = 491 \text{ N}$$

$$F_{1y} = 600 \sin 35^\circ = 344 \text{ N}$$

The scalar components of F_2 from Fig. b, are

$$F_{2x} = -500(4/5) = -400 \text{ N}$$

$$F_{2y} = 500(3/5) = 300 \text{ N}$$

$$\alpha = \tan^{-1} [0.2/0.4]$$

$$= 26.6^\circ$$

Then

$$F_{3x} = F_3 \sin \alpha = 800 \sin 26.6^\circ = 358 \text{ N}$$

$$F_{3y} = -F_3 \cos \alpha = -800 \cos 26.6^\circ = -716 \text{ N}$$